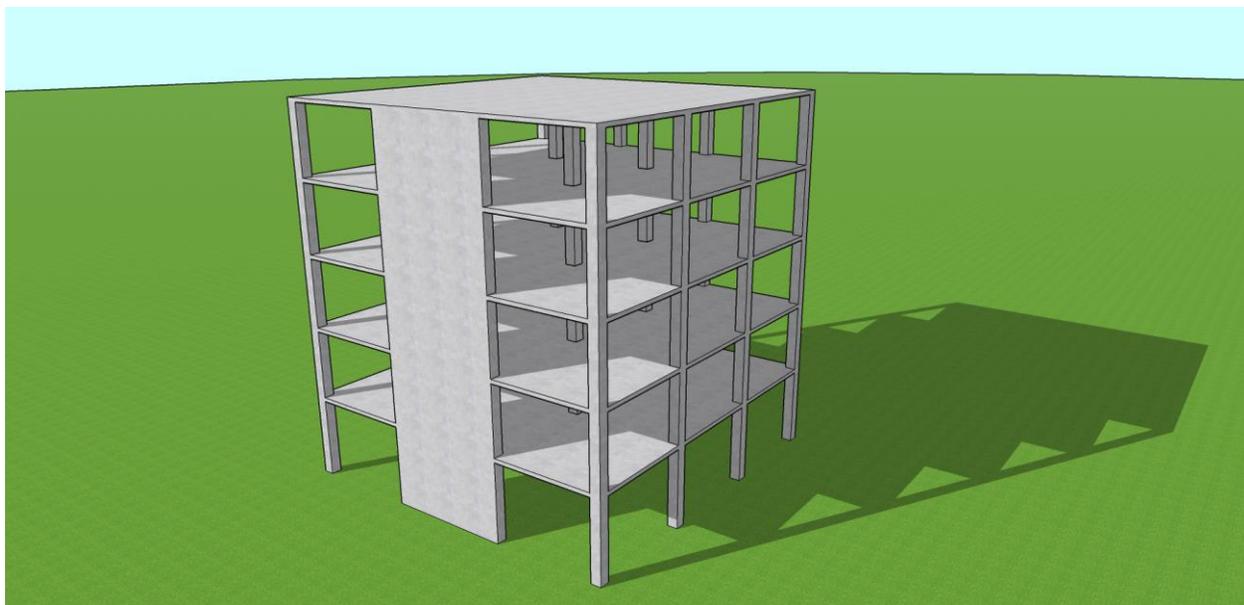
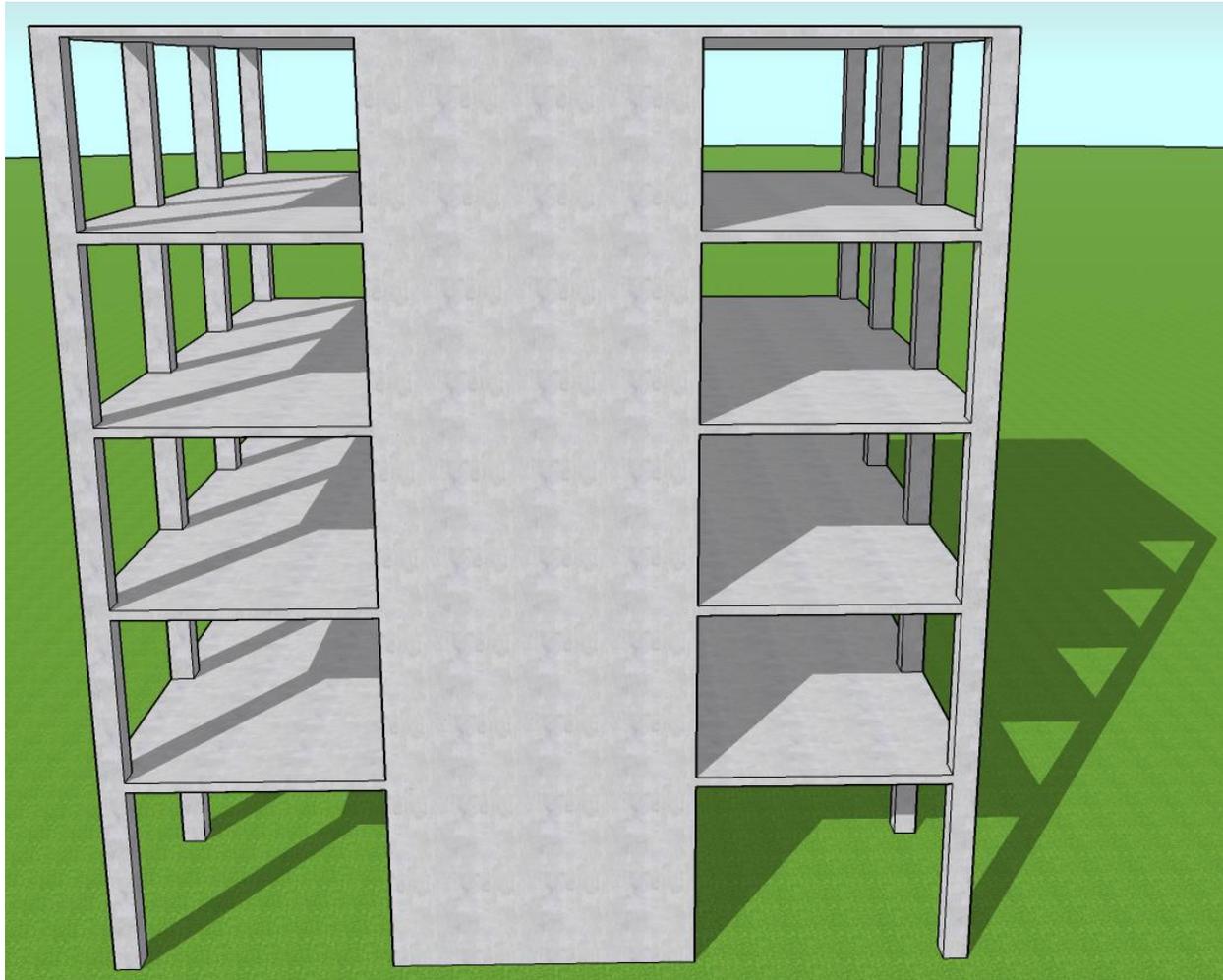
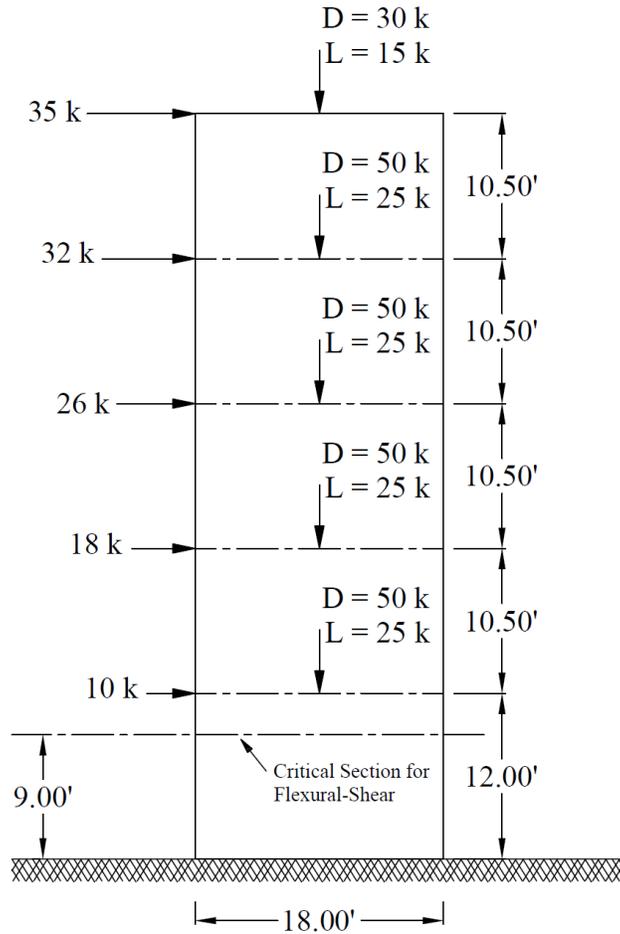


**Reinforced Concrete Shear Wall Analysis and Design**



**Reinforced Concrete Shear Wall Analysis and Design**

A structural reinforced concrete shear wall in a 5-story building provides lateral and gravity load resistance for the applied load as shown in the figure below. Shear wall section and assumed reinforcement is investigated after analysis to verify suitability for the applied loads.



**Figure 1 – Reinforced Concrete Shear Wall Geometry and Loading**

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**Code**

Building Code Requirements for Structural Concrete (ACI 318-14) and Commentary (ACI 318R-14)

**Reference**

Reinforced Concrete Mechanics and Design, 7<sup>th</sup> Edition, 2016, James Wight, Pearson, Example 18-2

**Design Data**

$f_c' = 4,000$  psi normal weight concrete

$f_y = 60,000$  psi

Slab thickness = 7 in.

Wall thickness = 10 in.

Wall length = 18 ft

Vertical reinforcement: #5 bars at 18 in. on centers in each face ( $A_{s, \text{vertical}} = \#5 @ 18 \text{ in.}$ )

Horizontal reinforcement: #4 bars at 16 in. on centers in each face ( $A_{s, \text{horizontal}} = \#4 @ 16 \text{ in.}$ )

## 1. Minimum Reinforcement Requirements (Reinforcement Percentage and Spacing)

### 1.1. Horizontal Reinforcement Check

$$\rho_t = \frac{A_{v, \text{horizontal}}}{h \times s_2} = \frac{2 \times 0.2}{10 \times 16} = 0.0025 \quad \text{ACI 318-14 (2.2)}$$

$$\rho_t = 0.0025 \geq \rho_{t, \text{min}} = 0.0025 \text{ (o.k)} \quad \text{ACI 318-14 (11.6.2(b))}$$

$$s_{t, \text{max}} = \text{smallest of } \left\{ \begin{array}{l} 3 \times h \\ 18 \text{ in.} \end{array} \right\} = \text{smallest of } \left\{ \begin{array}{l} 3 \times 10 \\ 18 \text{ in.} \end{array} \right\} = \text{smallest of } \left\{ \begin{array}{l} 30 \text{ in.} \\ 18 \text{ in.} \\ 43.2 \text{ in.} \end{array} \right\} = 18 \text{ in.} \quad \text{ACI 318-14 (11.7.3.1)}$$

$$s_{t, \text{provided}} = 16 \text{ in.} < s_{t, \text{max}} = 18 \text{ in.} \text{ (o.k)}$$

### 1.2. Vertical Reinforcement Check

$$\rho_t = \frac{A_{v, \text{vertical}}}{h \times s_1} = \frac{2 \times 0.31}{10 \times 18} = 0.00344 \quad \text{ACI 318-14 (2.2)}$$

$$\rho_{t, \text{min}} = \text{greater of } \left\{ \begin{array}{l} 0.0025 + 0.5 \left( 2.5 - \frac{h_w}{l_w} \right) (\rho_t - 0.0025) \\ 0.0025 \end{array} \right\} \quad \text{ACI 318-14 (11.6.2(a))}$$

$$\rho_{t, \text{min}} = \text{greater of } \left\{ \begin{array}{l} 0.0025 + 0.5 \left( 2.5 - \frac{h_w}{l_w} \right) (0.0025 - 0.0025) \\ 0.0025 \end{array} \right\} = \text{greater of } \left\{ \begin{array}{l} 0.0025 \\ 0.0025 \end{array} \right\} = 0.0025$$

$$\rho_t = 0.00344 \geq \rho_{t, \text{min}} = 0.0025 \text{ (o.k)} \quad \text{ACI 318-14 (11.6.2(a))}$$

$$s_{t, \text{max}} = \text{smallest of } \left\{ \begin{array}{l} 3 \times h \\ 18 \text{ in.} \end{array} \right\} = \text{smallest of } \left\{ \begin{array}{l} 3 \times 10 \\ 18 \text{ in.} \end{array} \right\} = \text{smallest of } \left\{ \begin{array}{l} 30 \text{ in.} \\ 18 \text{ in.} \\ 72 \text{ in.} \end{array} \right\} = 18 \text{ in.} \quad \text{ACI 318-14 (11.7.2.1)}$$

$$s_{t, \text{provided}} = 18 \text{ in.} \leq s_{t, \text{max}} = 18 \text{ in.} \text{ (o.k)}$$

## 2. Neutral Axis Depth Determination

$$M_{base} = 35 \times 54 + 32 \times 43.5 + 26 \times 33 + 18 \times 22.5 + 10 \times 12 = 4,670 \text{ kip-ft}$$

The load factor for strength-level wind force = 1.0

$$M_{u,base} = 1.0 \times 4,670 = 4,670 \text{ kip-ft}$$

$$N_u = 0.9 \times N_D = 0.9 \times (30 + 50 + 50 + 50 + 50) = 207 \text{ kips}$$

ACI 318-14 (Eq.5.3.1f)

$$\beta_1 = 0.85 - \frac{0.05 \times (f'_c - 4000)}{1000} = 0.85 - \frac{0.05 \times (4000 - 4000)}{1000} = 0.85$$

ACI 318-14 (Table 22.2.2.4.3)

$$\omega = \rho_l \frac{f_y}{f_c} = 0.00344 \times \frac{60}{4} = 0.0516$$

$$\alpha = \frac{N_u}{h \times l_w \times f'_c} = \frac{207}{10 \times 216 \times 4} = 0.0240$$

$$c = \left( \frac{\alpha + \omega}{0.85\beta_1 + 2\omega} \right) l_w = \left( \frac{0.0240 + 0.0516}{0.85 \times 0.85 + 2 \times 0.0516} \right) \times 216 = 19.8 \text{ in.}$$

Assume the effective flexural depth ( $d$ ) is approximately equal to  $0.8l_w = 173$  in.

ACI 318-14 (11.5.4.2)

$c = 19.8 \text{ in.} \ll d = 173 \text{ in.} \rightarrow$  Tension controlled section

$$\therefore \phi = 0.90$$

ACI 318-14 (Table 21.2.2)

### 3. Moment Capacity Check

$$A_{st} = A_{v,vertical} \frac{l_w}{S_{I,provided}} = 2 \times 0.31 \times \frac{216}{18} = 7.44 \text{ in.}^4$$

$$T = A_{st} \times f_y \left( \frac{l_w - c}{l_w} \right) = 7.44 \times 60 \times \left( \frac{216 - 19.8}{216} \right) = 405 \text{ kips}$$

Taking into account the applied axial force and summing force moments about the compression force (C), the moment capacity can be computed as follows:

$$M_n = T \left( \frac{l_w}{2} \right) + N_u \left( \frac{l_w - c}{2} \right) = 405 \left( \frac{216}{2} \right) + 207 \left( \frac{216 - 19.8}{2} \right) = 64,000 \text{ kips-in.} = 5,340 \text{ kips-ft}$$

$$\phi M_n = 0.9 \times 5,340 = 4,800 \text{ kips-ft} > M_u = 4,670 \text{ kips-ft}$$

Since  $\phi M_n$  is greater than  $M_u$ , the wall has adequate flexural strength.

To further confirm the moment capacity is adequate with detailed consideration for the axial compression, an interaction diagram using [spColumn](#) can be created easily as shown below for the wall section. The location of the neutral axis, maximum tensile strain, and the phi factor can all be also verified from the [spColumn](#) model results output parameters. As can be seen from the interaction diagram a comprehensive view of the wall behavior for any combination of axial force and applied moment.

For a factored axial and moment of 207 kips and 4670 kip-ft the interaction diagram shows a capacity factor of 1.139 ( $\phi M_n = 5,320 \text{ kip-ft}$  for  $\phi P_n = P_u$ ), see Figures 11 and 12.

#### 4. Shear Capacity Check

$$V_u = 35 + 32 + 26 + 18 + 10 = 121 \text{ kips}$$

$$V_c = \text{lesser of } \left\{ \begin{array}{l} 3.3 \times \lambda \times \sqrt{f'_c} \times h \times d + \frac{N_u \times d}{4 \times l_w} \quad \text{(d)} \\ \left[ 0.6 \times \lambda \times \sqrt{f'_c} + \frac{l_w \left( 1.25 \times \lambda \times \sqrt{f'_c} + 0.2 \frac{N_u}{l_w \times h} \right)}{\frac{M_u}{V_u} - \frac{l_w}{2}} \right] \times h \times d \quad \text{(e)} \end{array} \right\} \quad \underline{\text{ACI 318-14 (Table 11.5.4.6)}}$$

$$V_c = \text{lesser of } \left\{ \begin{array}{l} 3.3 \times 1.0 \times \sqrt{4,000} \times 10 \times 173 + \frac{207,000 \times 173}{4 \times 216} \\ \left[ 0.6 \times 1.0 \times \sqrt{4,000} + \frac{216 \times \left( 1.25 \times 1.0 \times \sqrt{4,000} + 0.2 \frac{207,000}{216 \times 10} \right)}{\frac{3,580}{121} - \frac{216}{2}} \right] \times 10 \times 173 \end{array} \right\}$$

$$V_c = \text{lesser of } \left\{ \begin{array}{l} 402 \text{ kips} \\ 214 \text{ kips} \end{array} \right\} = 214 \text{ kips}$$

Where  $M_u/V_u$  ratio used in equation (e) was calculated at the critical section above the base of the wall (see Figure 1).

$$\text{distance to the critical section} = \text{smaller of } \left\{ \begin{array}{l} \frac{l_w}{2} \\ \frac{h_w}{2} \\ \text{one story height} \end{array} \right\} \quad \underline{\text{ACI 318-14 (11.5.4.7)}}$$

$$\text{distance to the critical section} = \text{smaller of } \left\{ \begin{array}{l} \frac{18}{2} = 9 \text{ ft} \\ \frac{54}{2} = 27 \text{ ft} \\ 12 \text{ ft} \end{array} \right\} = 9 \text{ ft}$$

The factored moment at the ultimate section is equals to:

$$M_u = M_{u,base} - V_{u,base} \times \frac{l_w}{2} = 4,670 - 121 \times 9 = 3,580 \text{ kip-ft}$$

$$\phi V_c = \phi \times V_c = 0.75 \times 214 = 161 \text{ kips}$$

Where  $\phi = 0.75$  for shear

ACI 318-14 (Table 21.2.1)

$$\phi V_c = 161 \text{ kips} > V_u = 121 \text{ kips}$$

Thus, it is not required to calculate the additional shear strength provided by the horizontal reinforcement ( $V_s$ )

$$0.5 \times \phi V_c = 80.5 \text{ kips} < V_u = 121 \text{ kips}$$

Since  $0.5\phi V_c$  is less than  $V_u$ ,  $\rho_l$  shall be at least the greater of Equation 11.6.2 in the Code and 0.0025 but need not to exceed  $\rho_l$  required by Equation 11.5.4.8. and  $\rho_l$  shall be at least 0.0025. ACI 318-14 (11.6.2)

(Those requirements were checked in step 1).

## 5. Shear Wall Analysis and Design – spWall Software

[spWall](#) is a program for the analysis and design of reinforced concrete shear walls, tilt-up walls, precast wall and insulate concrete form (ICF) walls. It uses a graphical interface that enables the user to easily generate complex wall models. Graphical user interface is provided for:

- Wall geometry (including any number of openings and stiffeners)
- Material properties including cracking coefficients
- Wall loads (point, line, and area),
- Support conditions (including translational and rotational spring supports)

[spWall](#) uses the Finite Element Method for the structural modeling, analysis, and design of slender and non-slender reinforced concrete walls subject to static loading conditions. The wall is idealized as a mesh of rectangular plate elements and straight line stiffener elements. Walls of irregular geometry are idealized to conform to geometry with rectangular boundaries. Plate and stiffener properties can vary from one element to another but are assumed by the program to be uniform within each element.

Six degrees of freedom exist at each node: three translations and three rotations relating to the three Cartesian axes. An external load can exist in the direction of each of the degrees of freedom. Sufficient number of nodal degrees of freedom should be restrained in order to achieve stability of the model. The program assembles the global stiffness matrix and load vectors for the finite element model. Then, it solves the equilibrium equations to obtain deflections and rotations at each node. Finally, the program calculates the internal forces and internal moments in each element. At the user's option, the program can perform second order analysis. In this case, the program takes into account the effect of in-plane forces on the out-of-plane deflection with any number of openings and stiffeners.

In [spWall](#), the required flexural reinforcement is computed based on the selected design standard (ACI 318-14 is used in this example), and the user can specify one or two layers of shear wall reinforcement. In stiffeners and boundary elements, [spWall](#) calculates the required shear and torsion steel reinforcement. Shear wall concrete strength (in-plane and out-of-plane) is calculated for the applied loads and compared with the code permissible shear capacity.

For illustration and comparison purposes, the following figures provide a sample of the input modules and results obtained from an [spWall](#) model created for the reinforced concrete shear wall in this example.

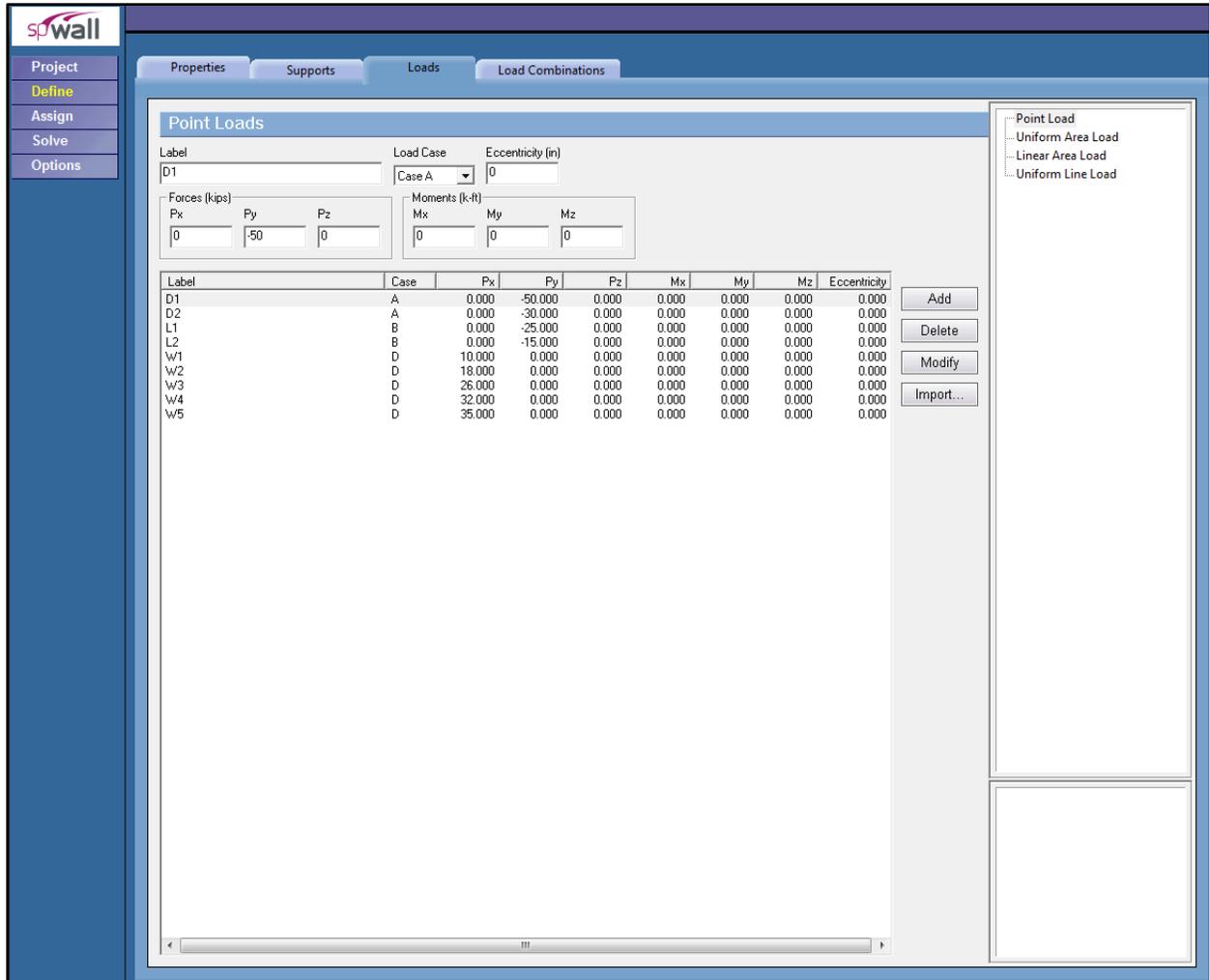


Figure 2 –Defining Loads for Shear Wall (spWall)

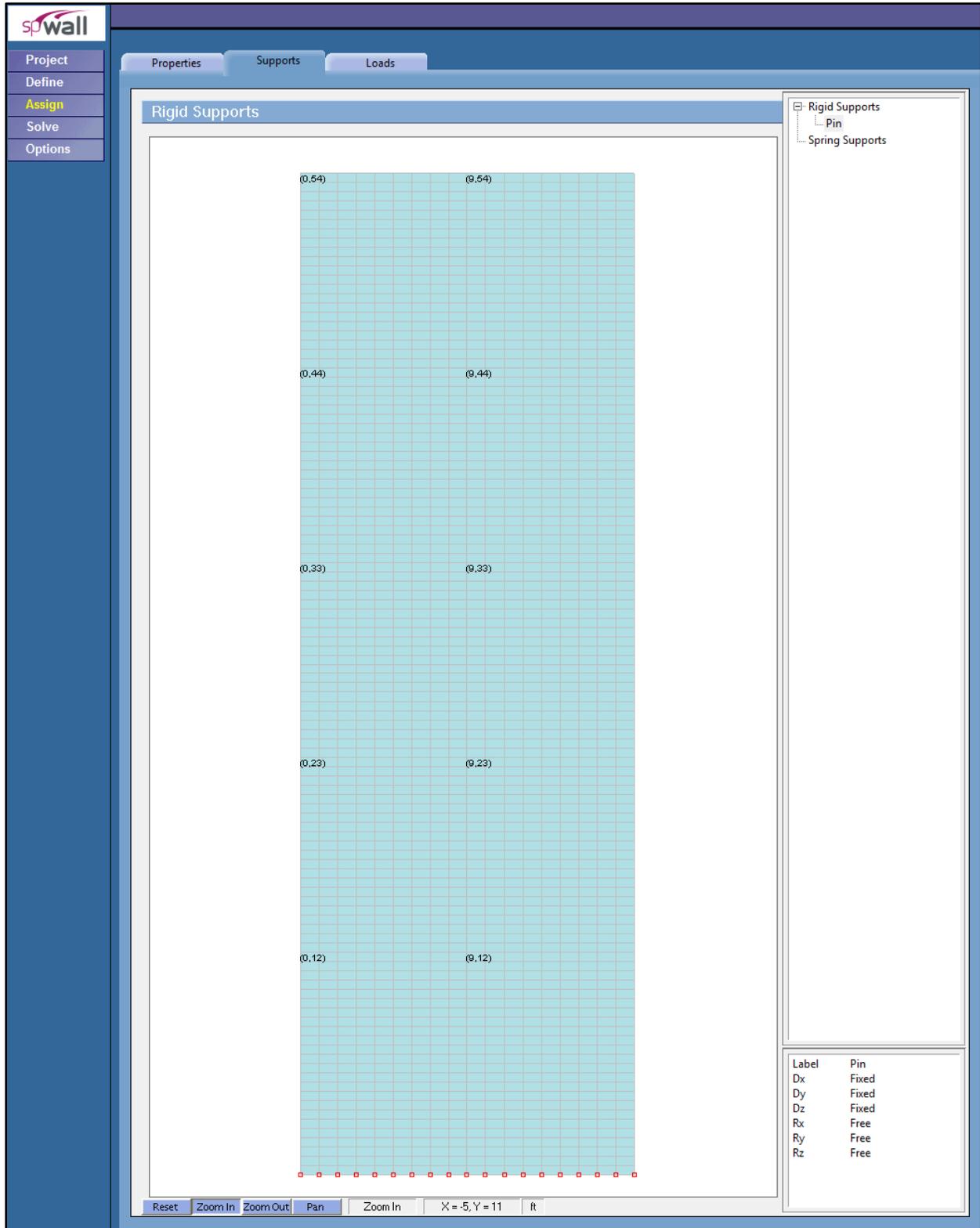


Figure 3 – Assigning Boundary Conditions for Shear Wall (spWall)

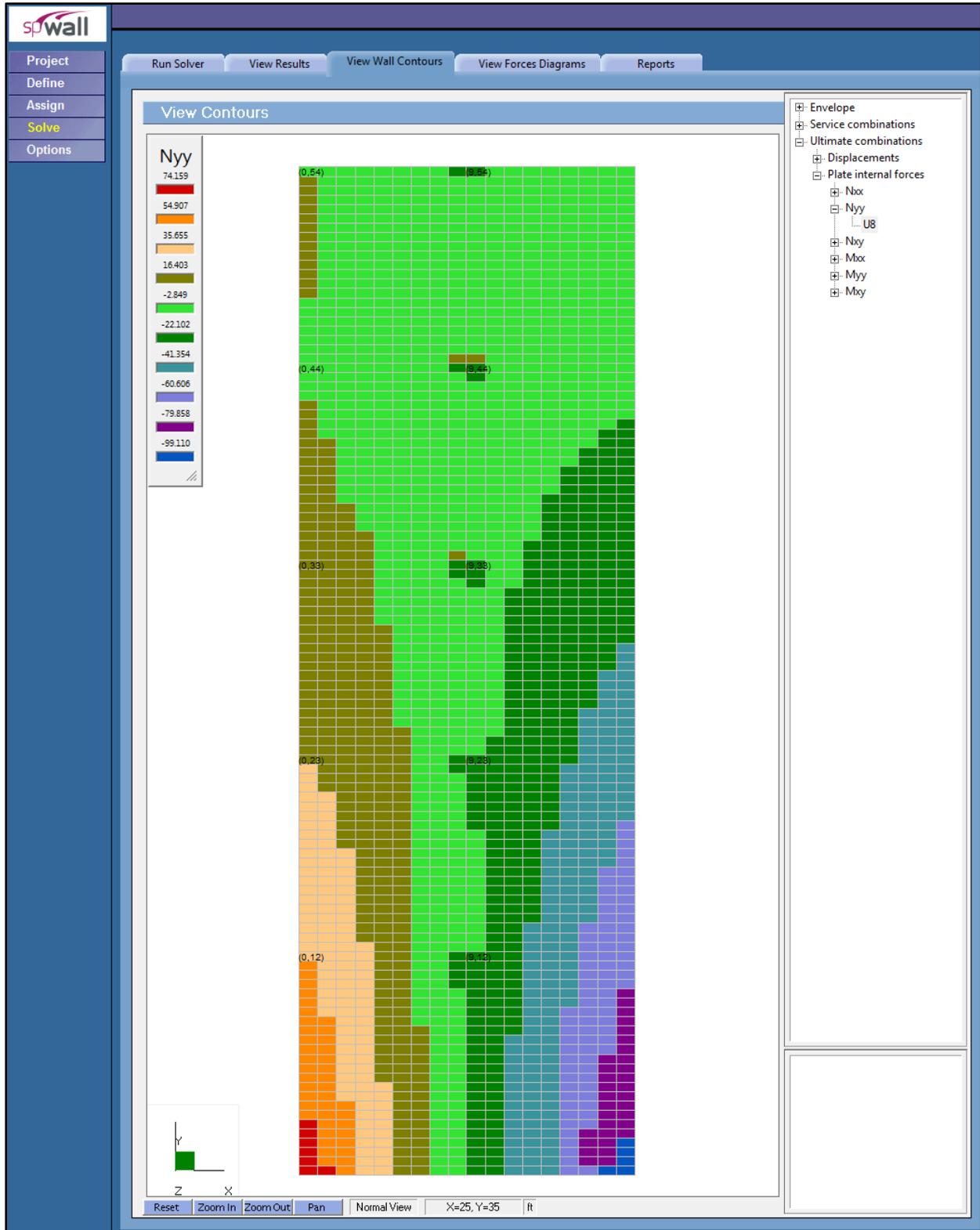


Figure 4 –Factored Axial Forces Contour Normal to Shear Wall Cross-Section (spWall)

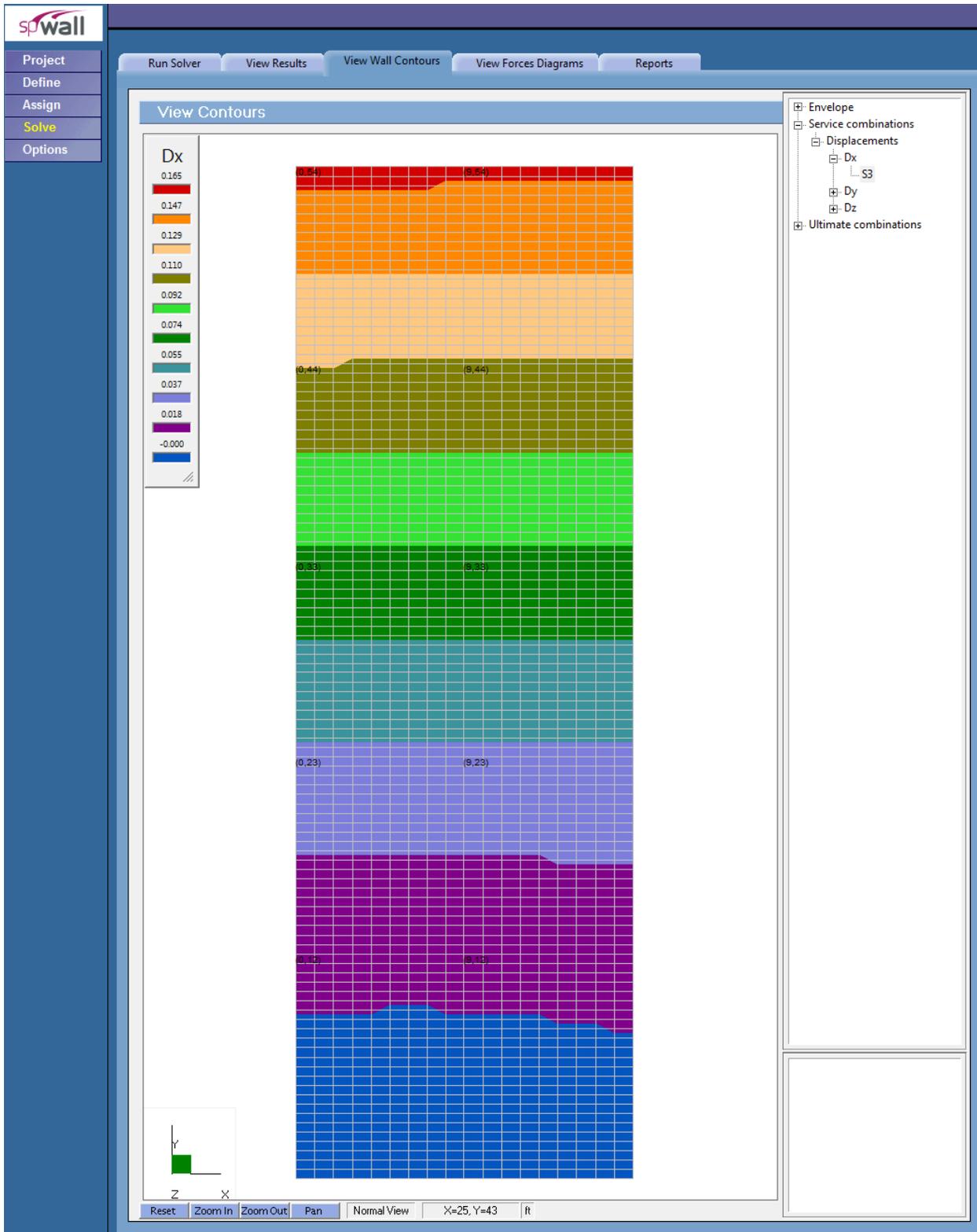


Figure 5 – Shear Wall Lateral Displacement Contour (spWall)

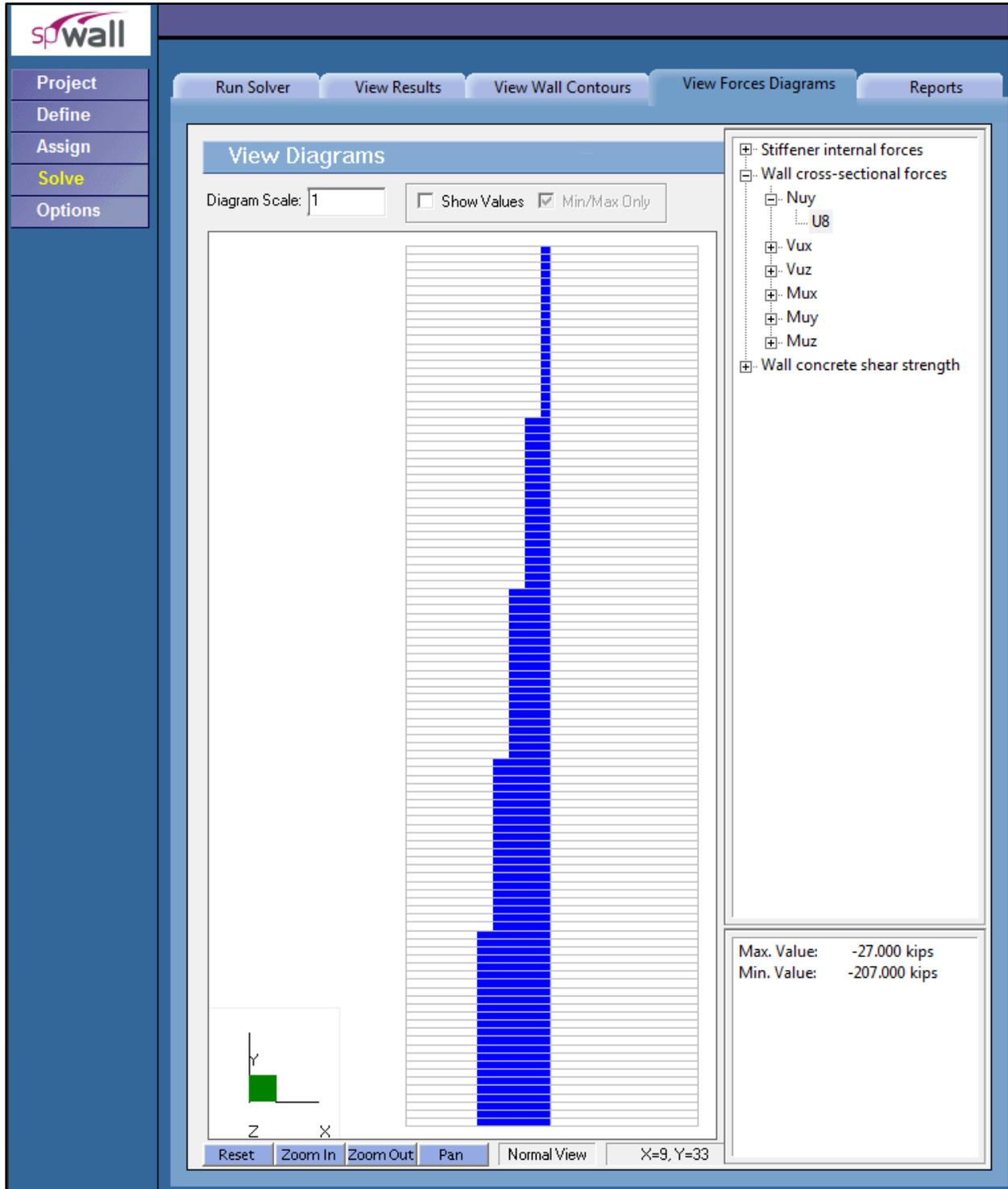


Figure 6 – Shear Wall Axial Load Diagram (spWall)

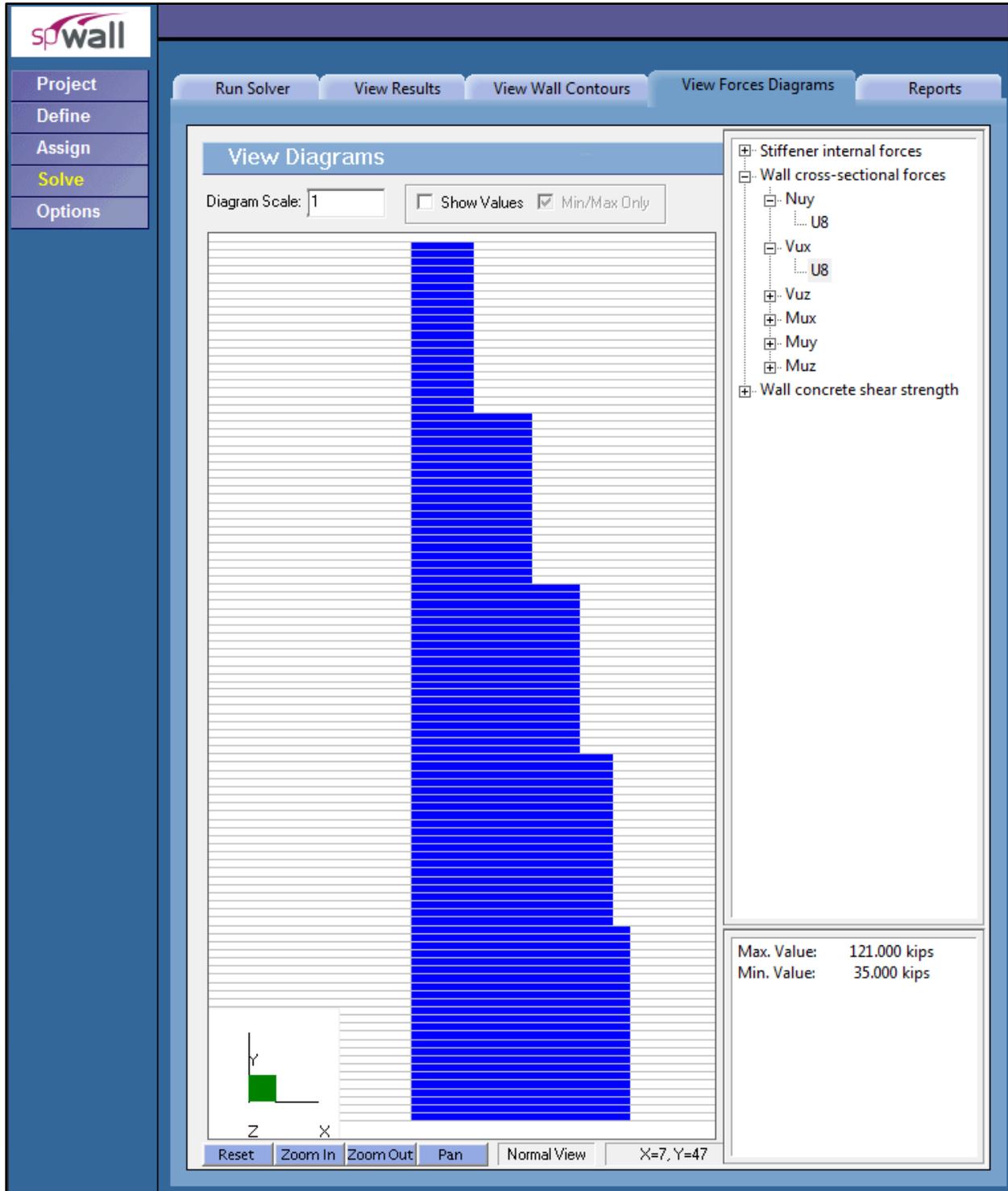


Figure 7 – In-plane Shear Diagram (spWall)

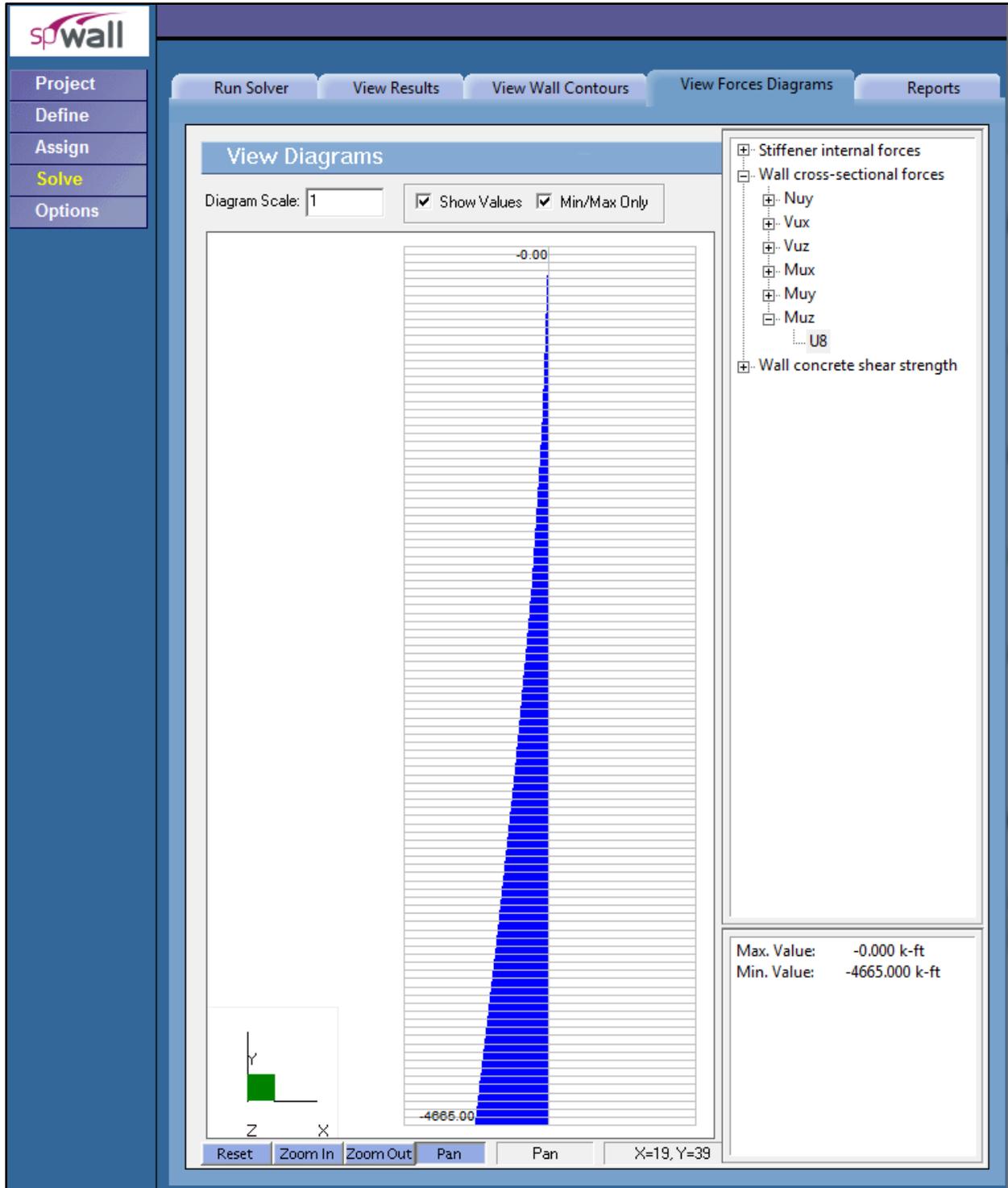


Figure 8 – Shear Wall Moment Diagram (spWall)

Envelope | Plate reinforcement

Coordinate System: Global

Units:

Elements along the wall base

Total required area of steel (As): in<sup>2</sup>/ft  
Bending moment (Mu): k-ft/ft, axial force (Nu): klf

Elem	Curtains	Direction	Mu (x/y)	Nu (x/y)	Ld_combo	As (x/y)	ro(%)	Tie
1	2	Horizontal	0.0000e+000	2.9550e+001	U8	5.53e-001	0.46	
		Vertical	0.0000e+000	7.7378e+001	U8	1.45e+000	1.21	
2	2	Horizontal	0.0000e+000	1.8772e+001	U8	3.51e-001	0.29	
		Vertical	0.0000e+000	7.3781e+001	U8	1.38e+000	1.15	
3	2	Horizontal	0.0000e+000	1.5581e+001	U8	2.91e-001	0.24	
		Vertical	0.0000e+000	5.4554e+001	U8	1.02e+000	0.85	
4	2	Horizontal	0.0000e+000	1.2902e+001	U8	2.41e-001	0.20	
		Vertical	0.0000e+000	4.2835e+001	U8	8.01e-001	0.67	
5	2	Horizontal	0.0000e+000	1.0669e+001	U8	2.40e-001	0.20	
		Vertical	0.0000e+000	3.2675e+001	U8	6.11e-001	0.51	
6	2	Horizontal	0.0000e+000	8.7408e+000	U8	2.40e-001	0.20	
		Vertical	0.0000e+000	2.3359e+001	U8	4.37e-001	0.36	
7	2	Horizontal	0.0000e+000	7.0193e+000	U8	2.40e-001	0.20	
		Vertical	0.0000e+000	1.4611e+001	U8	2.73e-001	0.23	
8	2	Horizontal	0.0000e+000	5.4510e+000	U8	2.40e-001	0.20	
		Vertical	0.0000e+000	6.2406e+000	U8	1.44e-001	0.12	
9	2	Horizontal	0.0000e+000	2.6129e+000	U8	2.40e-001	0.20	
		Vertical	0.0000e+000	-1.2546e+001	U8	1.44e-001	0.12	
10	2	Horizontal	0.0000e+000	-8.4802e+000	U8	2.40e-001	0.20	
		Vertical	0.0000e+000	-2.0955e+001	U8	1.44e-001	0.12	
11	2	Horizontal	0.0000e+000	-1.0370e+001	U8	2.40e-001	0.20	
		Vertical	0.0000e+000	-2.9458e+001	U8	1.44e-001	0.12	
12	2	Horizontal	0.0000e+000	-1.2361e+001	U8	2.40e-001	0.20	
		Vertical	0.0000e+000	-3.8160e+001	U8	1.44e-001	0.12	
13	2	Horizontal	0.0000e+000	-1.4490e+001	U8	2.40e-001	0.20	
		Vertical	0.0000e+000	-4.7212e+001	U8	1.44e-001	0.12	
14	2	Horizontal	0.0000e+000	-1.6819e+001	U8	2.40e-001	0.20	
		Vertical	0.0000e+000	-5.6863e+001	U8	1.44e-001	0.12	
15	2	Horizontal	0.0000e+000	-1.9473e+001	U8	2.40e-001	0.20	
		Vertical	0.0000e+000	-6.7480e+001	U8	1.44e-001	0.12	
16	2	Horizontal	0.0000e+000	-2.2634e+001	U8	2.40e-001	0.20	
		Vertical	0.0000e+000	-8.0022e+001	U8	1.44e-001	0.12	
17	2	Horizontal	0.0000e+000	-2.6373e+001	U8	2.40e-001	0.20	
		Vertical	0.0000e+000	-1.0247e+002	U8	1.44e-001	0.12	
18	2	Horizontal	0.0000e+000	-4.0107e+001	U8	2.40e-001	0.20	
		Vertical	0.0000e+000	-1.0437e+002	U8	1.44e-001	0.12	

$$\sum A_{s,vertical} = 7.56 \text{ in.}^2$$

Figure 9 – Shear Wall Vertical Reinforcement (spWall)

Envelope | Wall concrete shear strength | In-plane shear

Coordinate System: Global

Units:

Y-coordinate: ft  
(+) Horizontal cross-section above Y-coordinate  
(-) Horizontal cross-section below Y-coordinate  
Force (Nuy, Vux): kips  
Moment (Muz): k-ft  
Wall concrete shear strength (Vcx): kips

No.	Cross-section		Cross-sectional Forces			Strength
	Y-coordinate	Ld_combo	Nuy	Muz	Vux	Phi*Vcx
1+	0.000	U8	-2.0700e+002	-4.6650e+003	1.2100e+002	1.6393e+002 #
19+	9.000	U8	-2.0700e+002	-3.5760e+003	1.2100e+002	1.6393e+002 #

Notes:  
# - Shear force Vux exceeds 0.5\*Phi\*Vcx

Figure 10 – Concrete Shear Strength and Shear Wall Cross-Sectional Forces (spWall)

## 6. Design Results Comparison and Conclusions

Table 1 – Comparison of Shear Wall Analysis and Design Results							
Solution	Wall Cross-Sectional Forces				Strength	Required $A_s$	Provided $A_s$
	$M_u$ (kip-ft)	$N_u$ (kips)	$V_u$ (kips)	$M_{u@critical\ Section}$ (kip-ft)	$\phi V_c$ (kips)	$A_{s,vertical}$ (in. <sup>2</sup> )	$A_{s,vertical}$ (in. <sup>2</sup> )
Hand	4,670	207	121	3,580	161	Governed by Min.	7.44
Reference	4,670	207	121	3,580	161	Governed by Min.	7.44
spWall	4,665	207	121	3,576	164	Governed by Min.	7.56

The results of all the hand calculations and the reference used illustrated above are in precise agreement with the automated exact results obtained from the [spWall](#) program. It is worth noting that the minimum area of steel is governed by the minimum reinforcement ratio stipulated by the code. The same can be seen in [spWall](#) output for elements 9 through 18.

In the hand calculations and the reference, a simplified procedure to calculate the nominal flexural strength was used (A. E. Cardenas et al.). In this procedure, several broad assumptions are made to avoid tedious detailed calculations:

- All steel in the tension zone yields in tension.
- All steel in the compression zone yields in compression.
- The tension force acts at mid-depth of the tension zone.
- The total compression force (sum of steel and concrete contributions) acts at mid-depth of the compression zone.

To investigate the exact shear wall cross section capacity, a detailed interaction diagram can be easily generated by [spColumn](#) conforming to the provisions of the Strength Design Method and Unified Design Provisions with all conditions of strength satisfying the applicable conditions of equilibrium and strain compatibility.

For illustration and comparison purposes, following figures provide a sample of the input and output of the exact results obtained from an [spColumn](#) model created for the reinforced concrete shear wall in this example. [spColumn](#) calculates the exact values of strain at each layer of steel (in tension and compression zones) with exact location of the total tension and compression forces leading to exact value for nominal and design strengths (axial and flexural strengths).

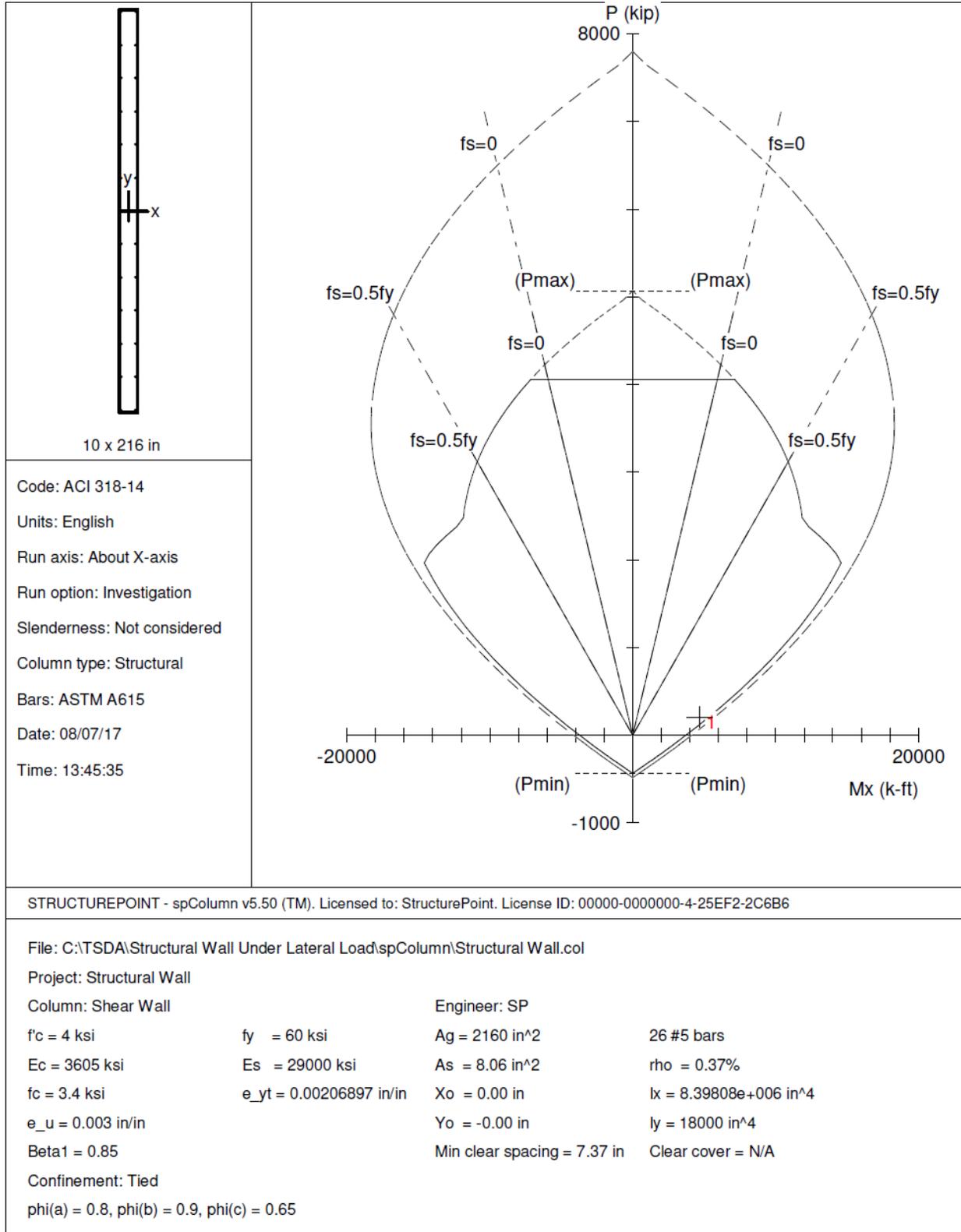


Figure 11 – Shear Wall Interaction Diagram (X-Axis, In-Plane) (spColumn)

STRUCTUREPOINT - spColumn v5.50 (TM)  
Licensed to: StructurePoint. License ID: 00000-00000000-4-25EF2-2C6B6  
C:\TSDA\Structural Wall Under Lateral Load\spColumn\Structural Wall.col

Page 2  
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**General Information:**

File Name: C:\TSDA\Structural Wall Under Lateral Load\spColumn\Structural Wall.col  
Project: Structural Wall  
Column: Shear Wall Engineer: SP  
Code: ACI 318-14 Units: English  
Run Option: Investigation Slenderness: Not considered  
Run Axis: X-axis Column Type: Structural

**Material Properties:**

Concrete: Standard Steel: Standard  
f'c = 4 ksi fy = 60 ksi  
Ec = 3605 ksi Es = 29000 ksi  
fc = 3.4 ksi Eps\_yt = 0.00206897 in/in  
Eps\_u = 0.003 in/in  
Beta1 = 0.85

**Section:**

Exterior Points								
No.	X (in)	Y (in)	No.	X (in)	Y (in)	No.	X (in)	Y (in)
1	-5.0	-108.0	2	5.0	-108.0	3	5.0	108.0
4	-5.0	108.0						

Gross section area, Ag = 2160 in<sup>2</sup>  
Ix = 8.39808e+006 in<sup>4</sup> Iy = 18000 in<sup>4</sup>  
rx = 62.3538 in ry = 2.88675 in  
Xo = 0 in Yo = -0 in

**Reinforcement:**

Bar Set: ASTM A615

Size	Diam (in)	Area (in <sup>2</sup> )	Size	Diam (in)	Area (in <sup>2</sup> )	Size	Diam (in)	Area (in <sup>2</sup> )
# 3	0.38	0.11	# 4	0.50	0.20	# 5	0.63	0.31
# 6	0.75	0.44	# 7	0.88	0.60	# 8	1.00	0.79
# 9	1.13	1.00	# 10	1.27	1.27	# 11	1.41	1.56
# 14	1.69	2.25	# 18	2.26	4.00			

Confinement: Tied; #3 ties with #10 bars, #4 with larger bars.  
phi(a) = 0.8, phi(b) = 0.9, phi(c) = 0.65

Pattern: Irregular  
Total steel area: As = 8.06 in<sup>2</sup> at rho = 0.37% (Note: rho < 0.50%)  
Minimum clear spacing = 7.37 in

Area in <sup>2</sup>	X (in)	Y (in)	Area in <sup>2</sup>	X (in)	Y (in)	Area in <sup>2</sup>	X (in)	Y (in)
0.31	-4.0	107.0	0.31	4.0	107.0	0.31	4.0	89.2
0.31	4.0	71.3	0.31	4.0	53.5	0.31	4.0	35.7
0.31	4.0	17.8	0.31	4.0	-0.0	0.31	4.0	-17.8
0.31	4.0	-35.7	0.31	4.0	-53.5	0.31	4.0	-71.3
0.31	4.0	-89.2	0.31	4.0	-107.0	0.31	-4.0	-107.0
0.31	-4.0	-89.2	0.31	-4.0	-71.3	0.31	-4.0	-53.5
0.31	-4.0	-35.7	0.31	-4.0	-17.8	0.31	-4.0	-0.0
0.31	-4.0	17.8	0.31	-4.0	35.7	0.31	-4.0	53.5
0.31	-4.0	71.3	0.31	-4.0	89.2			

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**Factored Loads and Moments with Corresponding Capacities:**

No.	Pu kip	Mux k-ft	PhiMnx k-ft	PhiMn/Mu	NA depth in	Dt depth in	eps_t	Phi
1	207.00	4670.00	5319.18	1.139	20.73	215.00	0.02811	0.900

\*\*\* End of output \*\*\*

Figure 12 – Load & Moment Capacities Output from [spColumn](#)

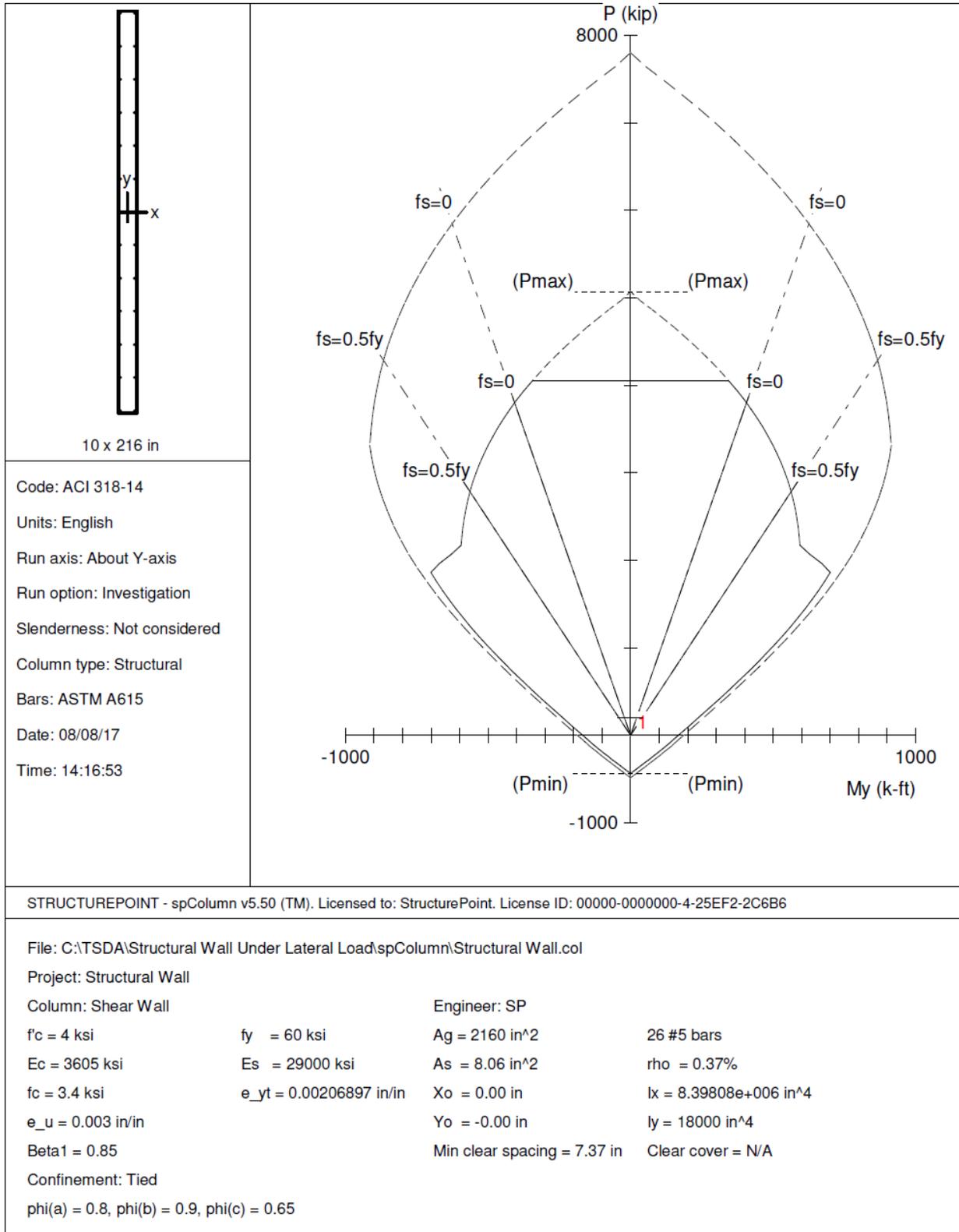


Figure 13 – Shear Wall Interaction Diagram (Y-Axis, Out-of-Plane) (spColumn)

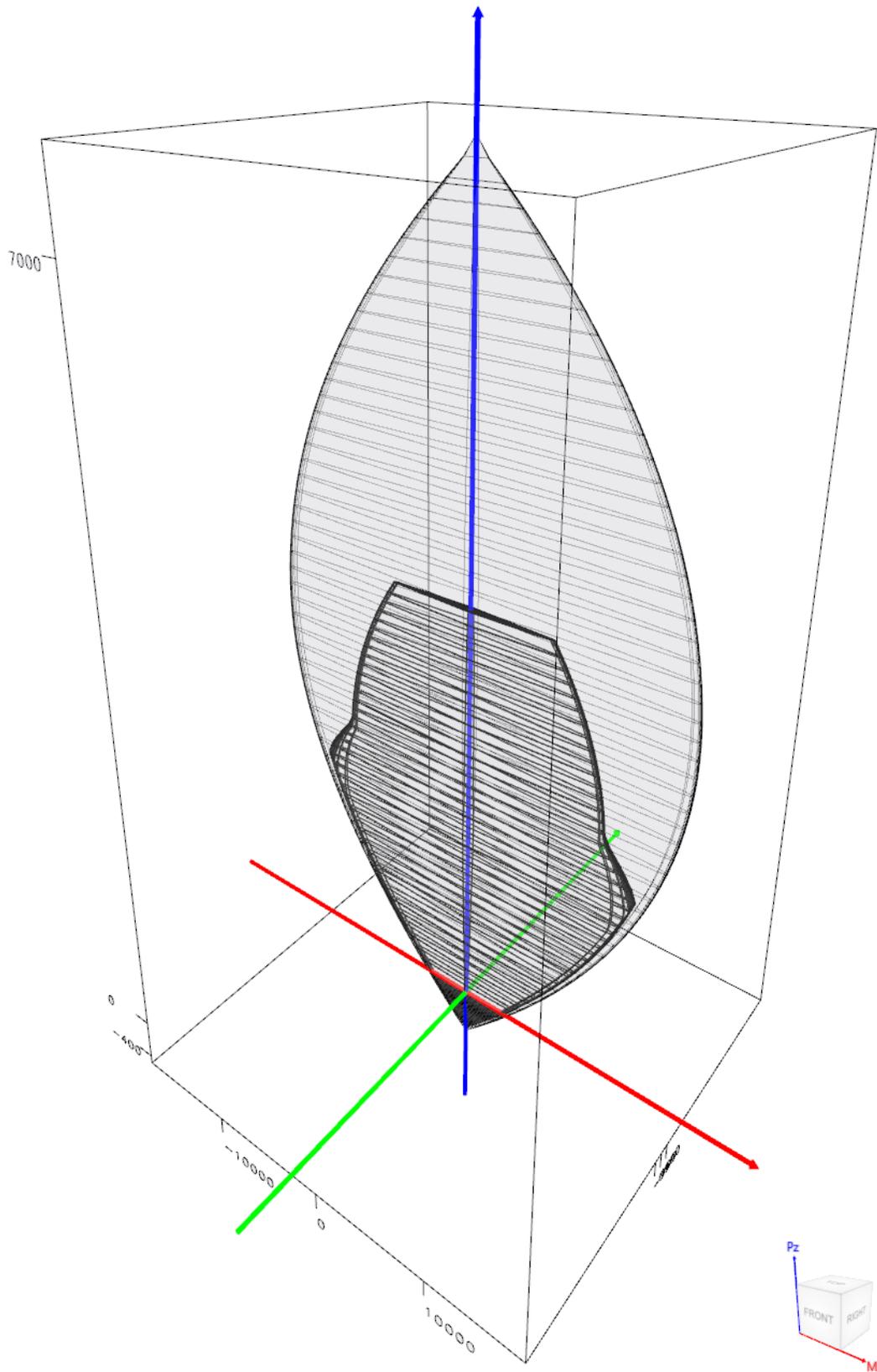


Figure 14 – Wall Section Interaction Diagram – 3D (spColumn)

Using the [spColumn](#) results output, further comparison can be made for the shear wall capacity parameters as summarized below:

Table 2 – Comparison of Flexural Capacity Based on Method of Solution				
Solution Method	c, in.	$\epsilon_t$ , in./in.	$\phi M_n$ , kip-ft	(Calculated/Exact) <sub>Capacity</sub>
Hand	19.80	---	4,670	88%
Reference	19.80	---	4,670	88%
<a href="#">spWall</a>	---	---	5,344*	100%
<a href="#">spColumn</a>	20.73	0.02811	5,319	100%

\* Calculated from spWall plate reinforcement by summing the capacity of each element along the wall cross-section

The last column in the table above compares the hand calculated capacity estimated by approximate methods to the exact values generated by [spWall](#) and [spColumn](#). The impact of simplifying assumptions is illustrated in the figure below showing the value of incorporating the exact value and location of steel and concrete strains and forces.

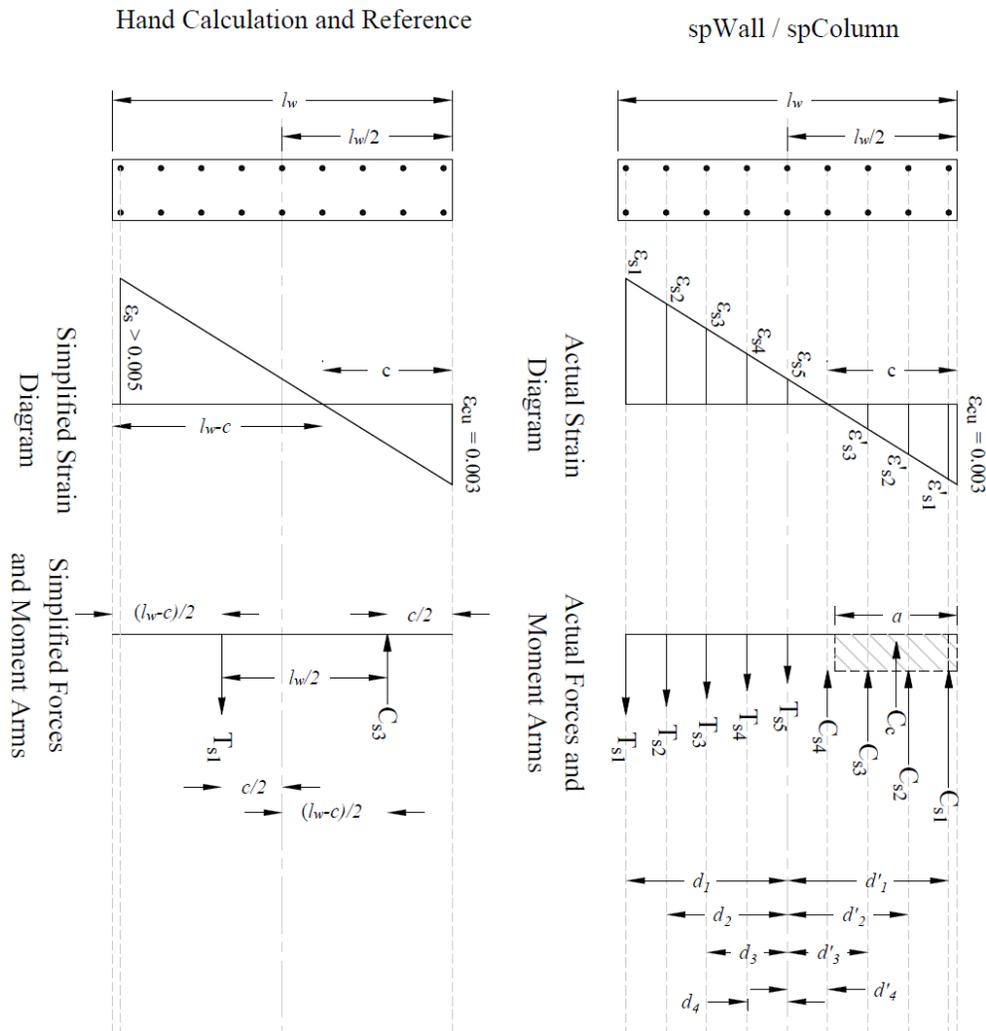


Figure 15 – Strains, Forces, and Moment Arms for simplified and Actual Methods